

Using observation processes to predict survival: A deep learning approach to joint modelling

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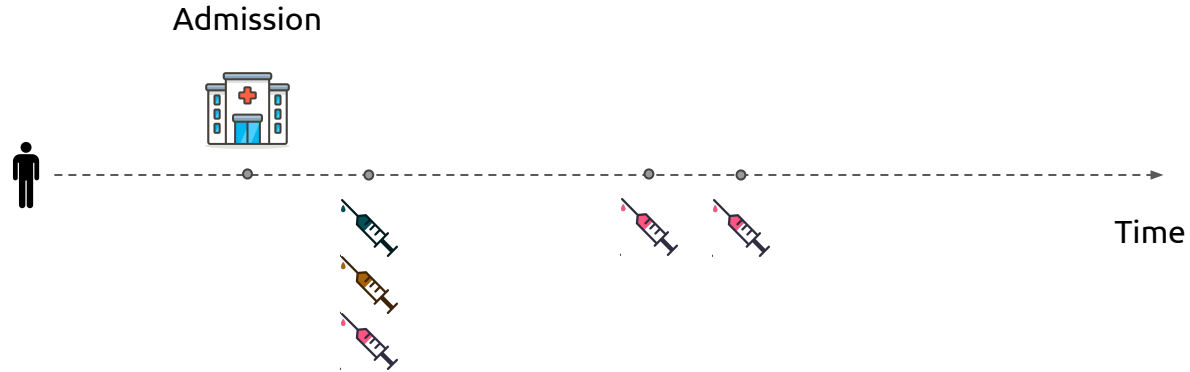
Clinical Presence



Clinical Presence

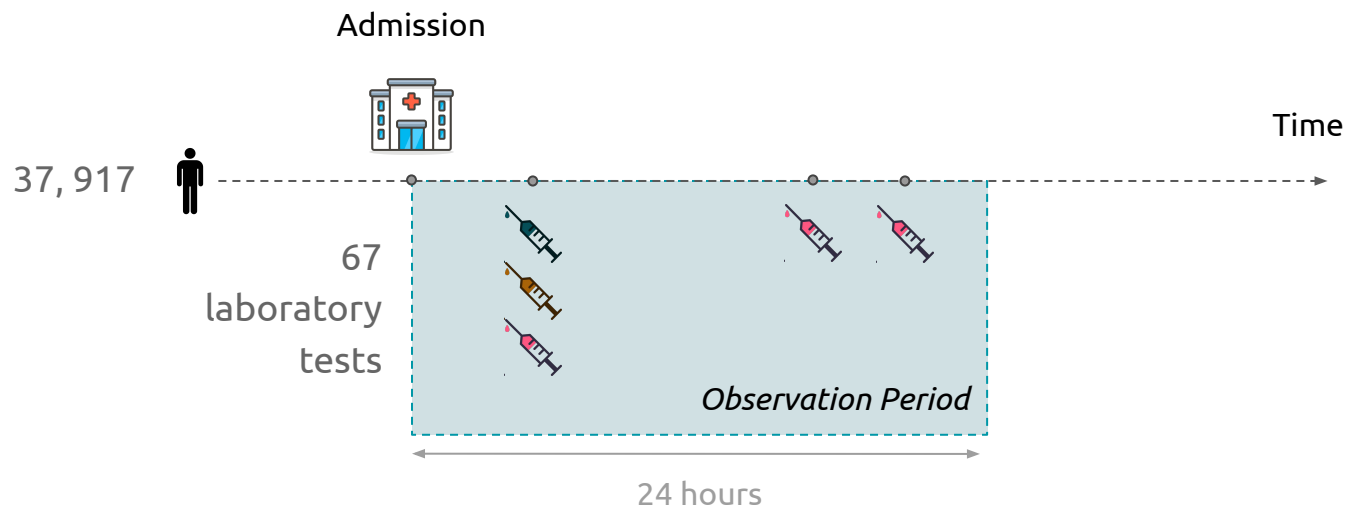


Clinical Presence

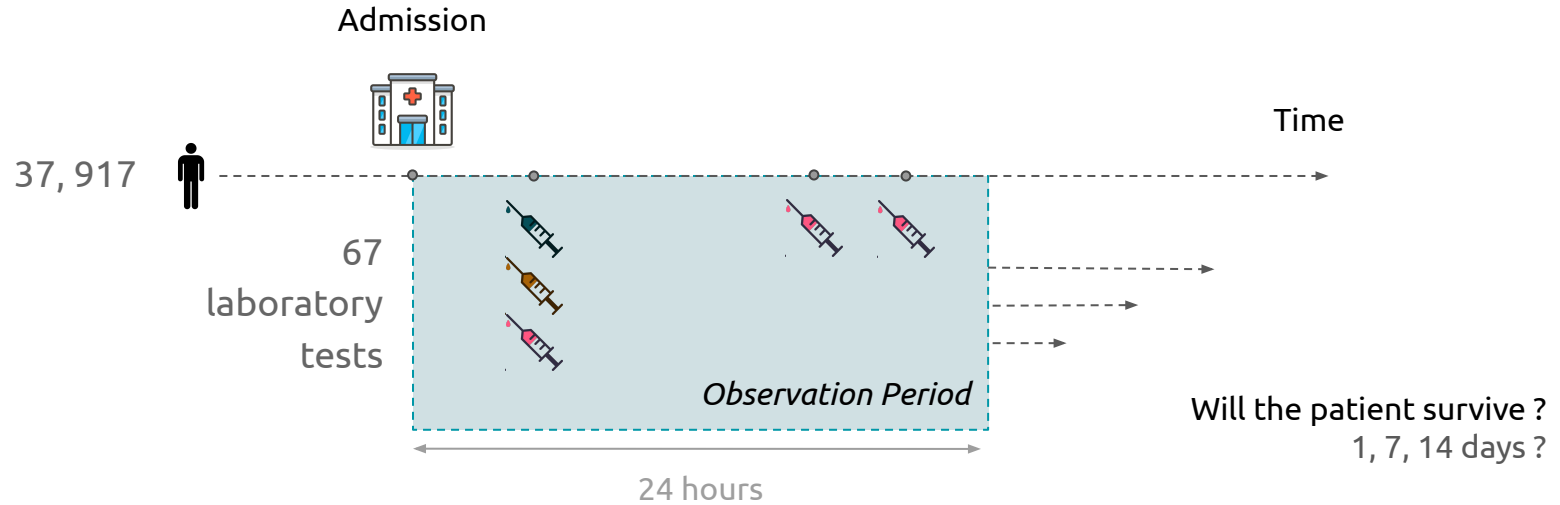


*The **sampling process** is imprinted by the interaction between **patients** and the **healthcare system**.*

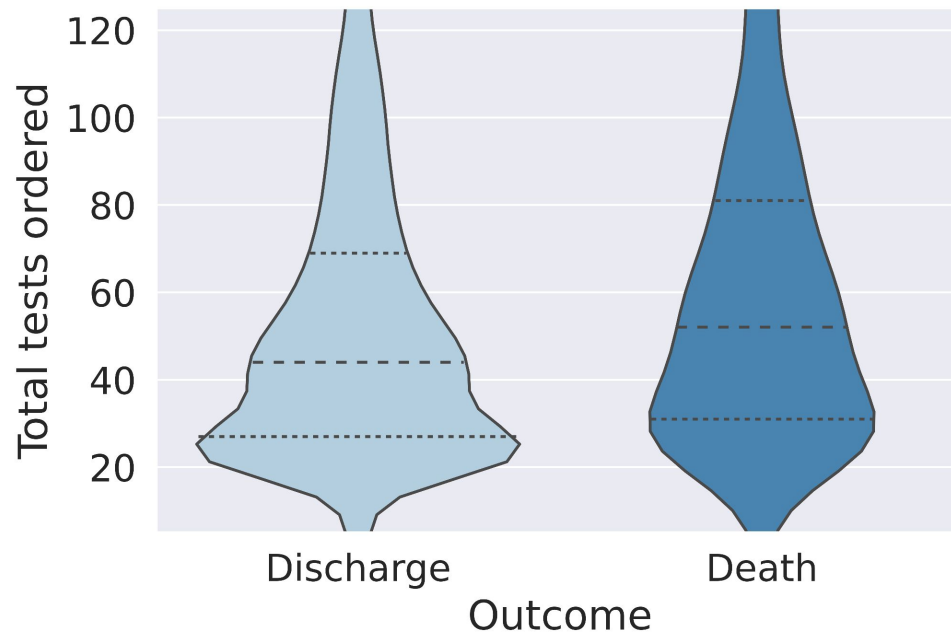
Motivating Example



Motivating Example



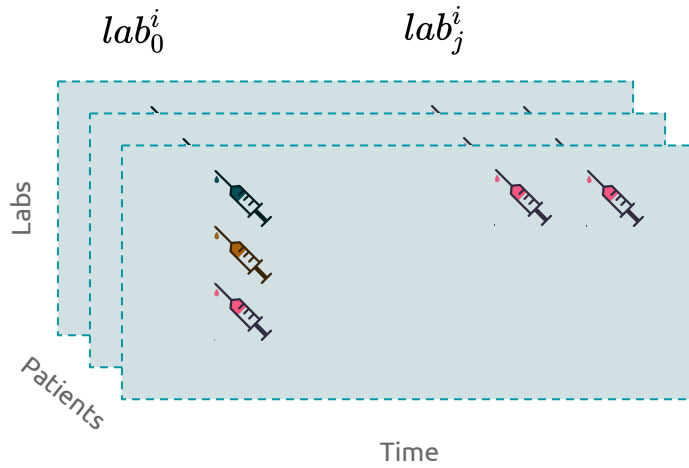
Evidence of Clinical Presence



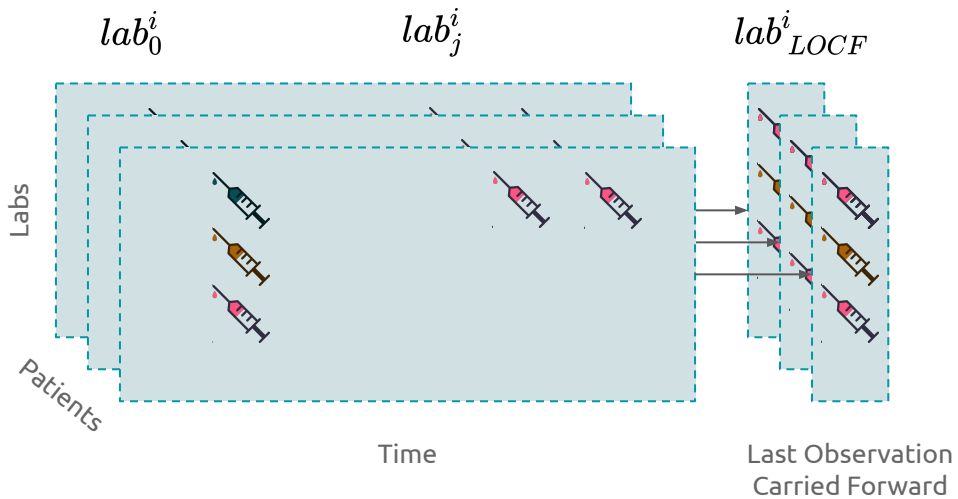
Proposed Approach

1. CoxPH
2. DeepSurv
3. Recurrent Neural Network
4. **DeepJoint**

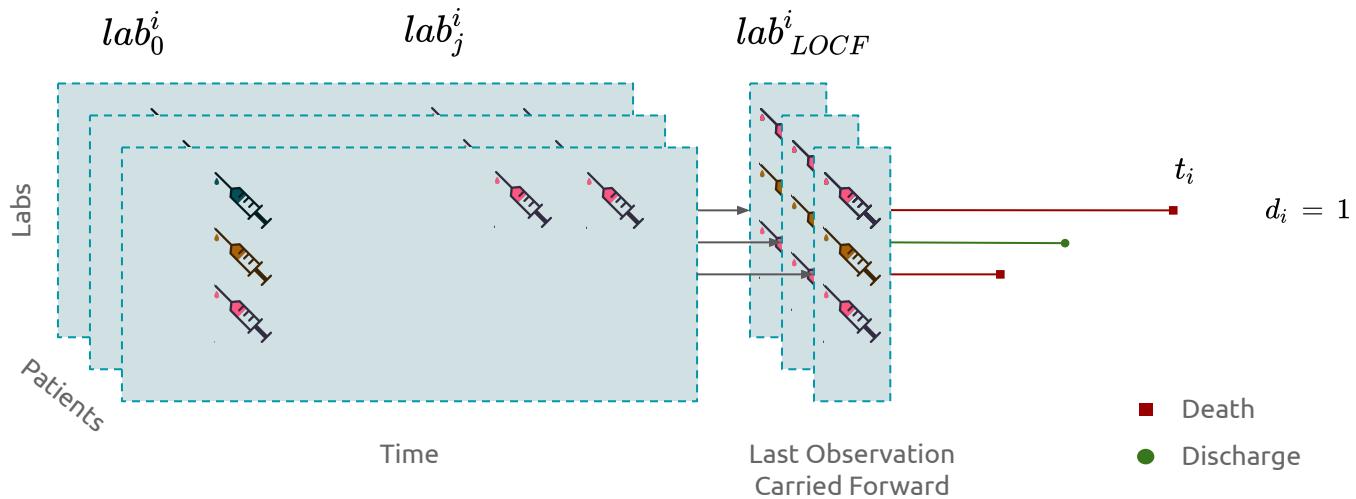
Notation



Notation



Notation



Cox Model

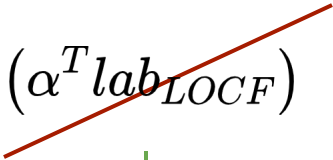
Baseline Hazard

$$\lambda(s | lab_{LOCF}) = \lambda_0(s) \exp(\alpha^T lab_{LOCF})$$

Hazard

Covariates Drift

DeepSurv

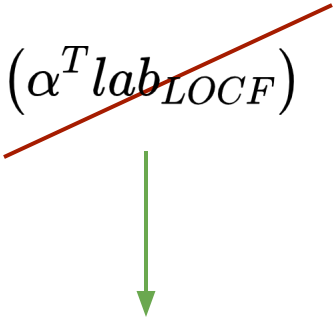
$$\lambda(s | lab_{LOCF}) = \lambda_0(s) \exp(\alpha^T lab_{LOCF})$$




$$\lambda(s | lab_{LOCF}) = \lambda_0(s) \exp(h(lab_{LOCF}))$$

Neural Network Interaction

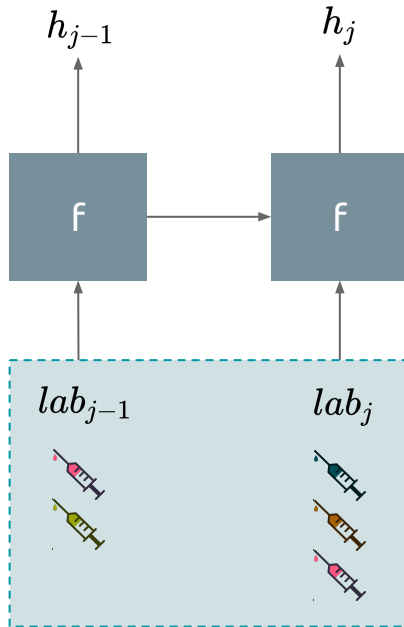
DeepSurv

$$\lambda(s | lab_{LOCF}) = \lambda_0(s) \exp(\alpha^T lab_{LOCF})$$


$$\lambda(s | lab_{LOCF}) = \lambda_0(s) \exp(h(lab_{LOCF}))$$

$$l_{DS} = \sum_{i, d_i=1} h(lab_{LOCF}^i) - \log \sum_{j, t_j > t_i} \exp h(lab_{LOCF}^j)$$

Recurrent Neural Network

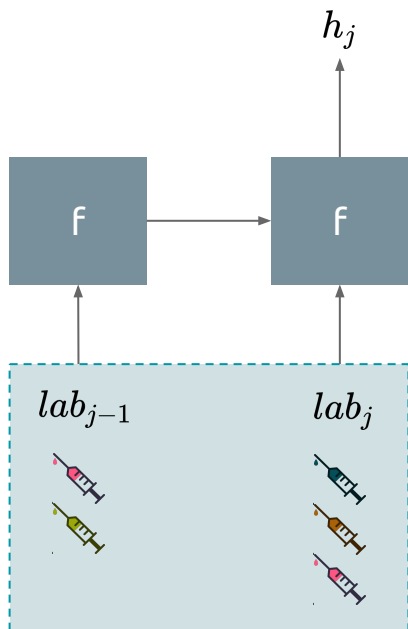


A Recurrent Neural Network (RNN) is a neural network that extracts a hidden representation of the data by taking advantage of its **sequential nature**

$$h_j = f(h_{j-1}, lab_j)$$

Embedding

Recurrent Neural Network

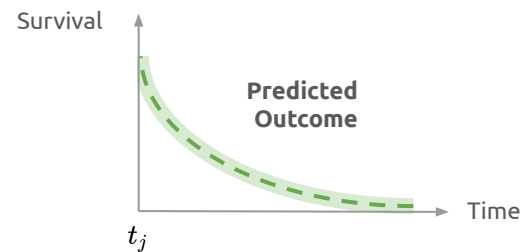
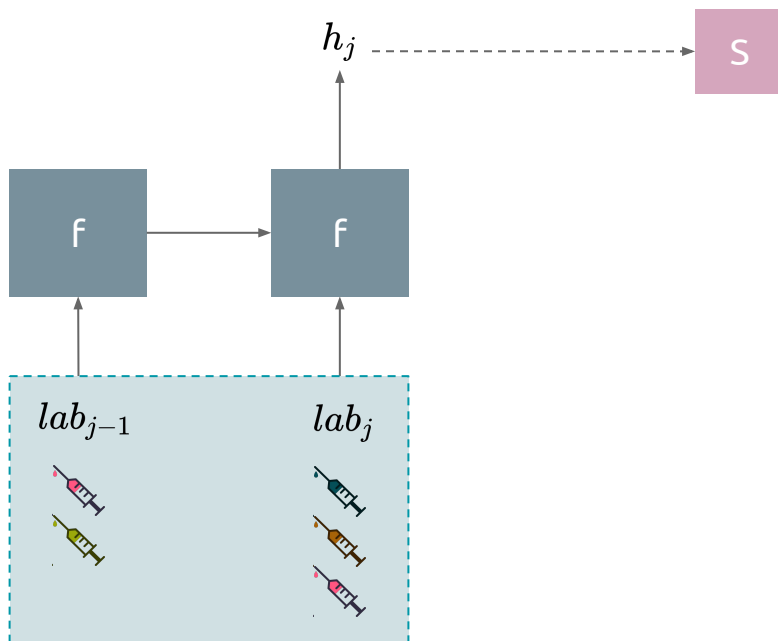


We leverage this embedding for modelling the survival outcome with DeepSurv

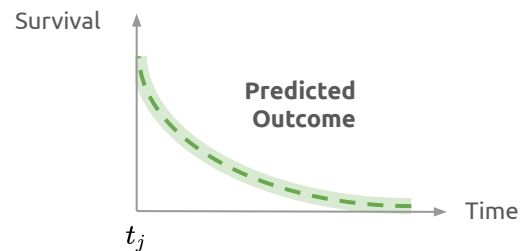
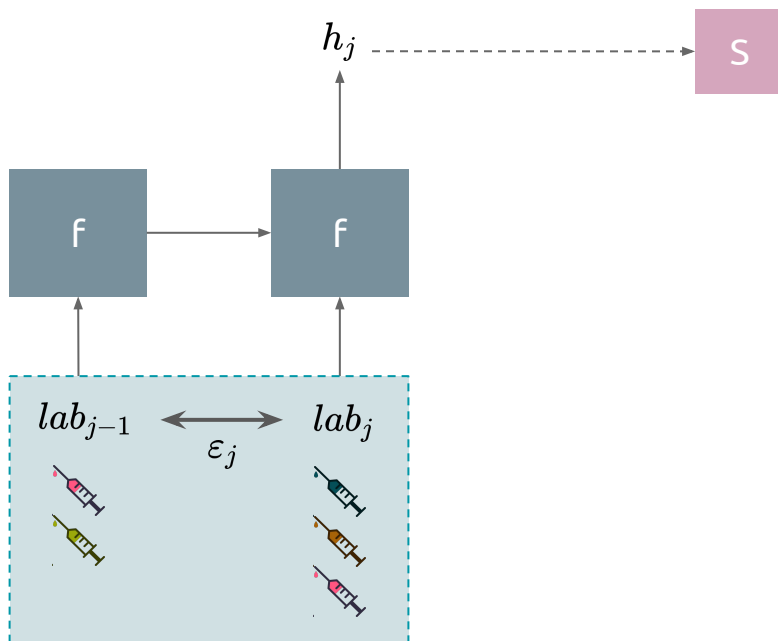
$$h_j = f(h_{j-1}, lab_j)$$

$$\lambda(s | \rightarrow lab_j) = \lambda_0(s) \exp(h_j)$$

Recurrent Neural Network

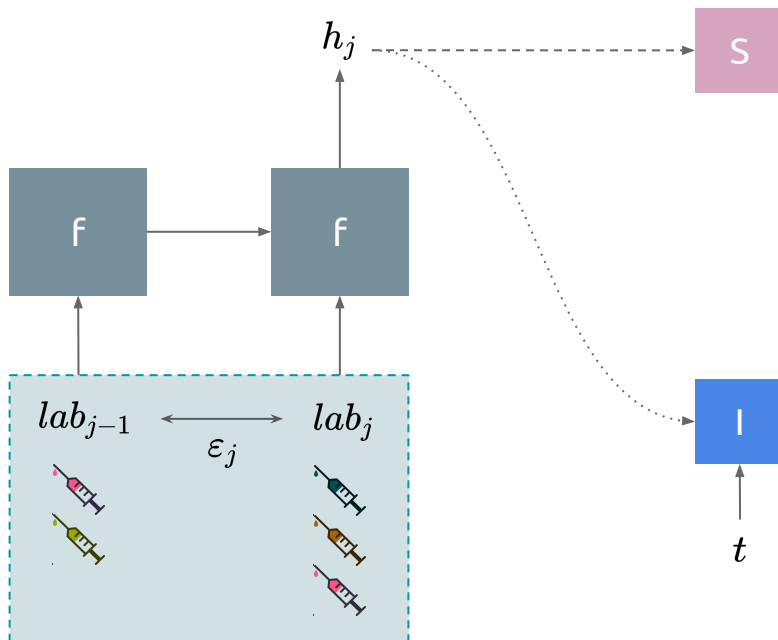


Proposed Approach



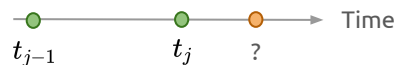
We propose to model the **interevent time** as a **temporal point process**

Proposed Approach



$$\Lambda_I(\epsilon_j | h_{j-1}) = I(\epsilon_j, h_{j-1})$$

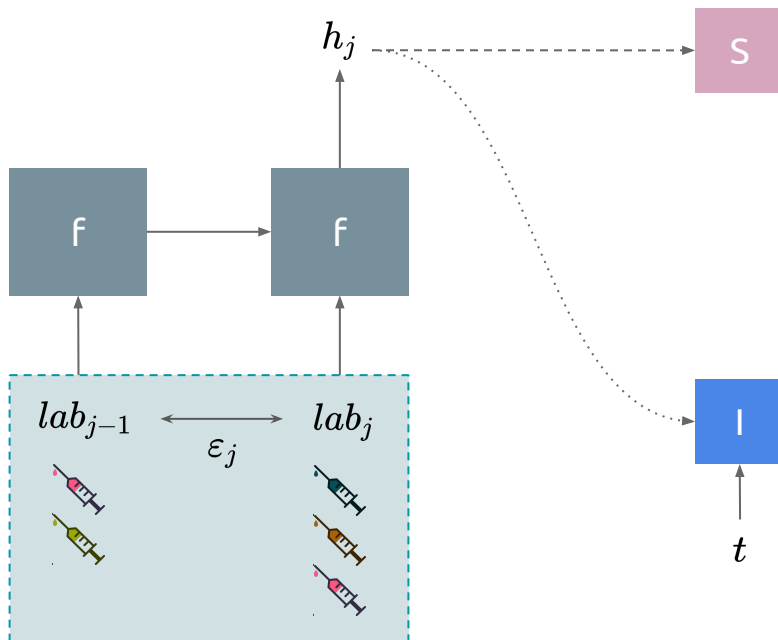
Cumulative Hazard



I models the **cumulative hazard** of observing an event

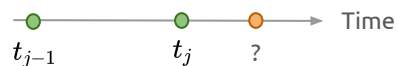
It is learnt by maximizing the likelihood by back propagation

Proposed Approach



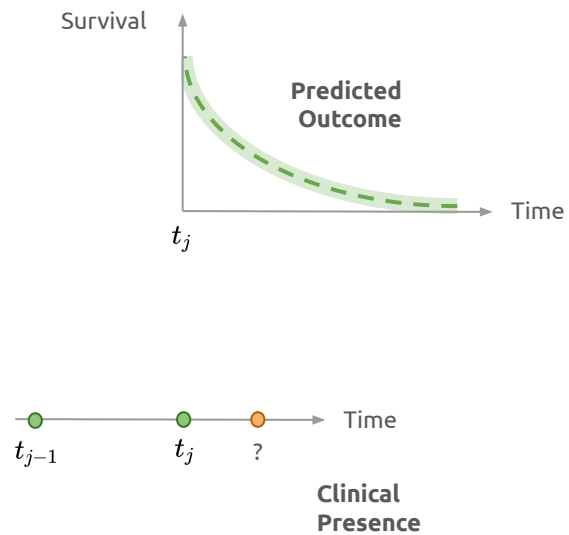
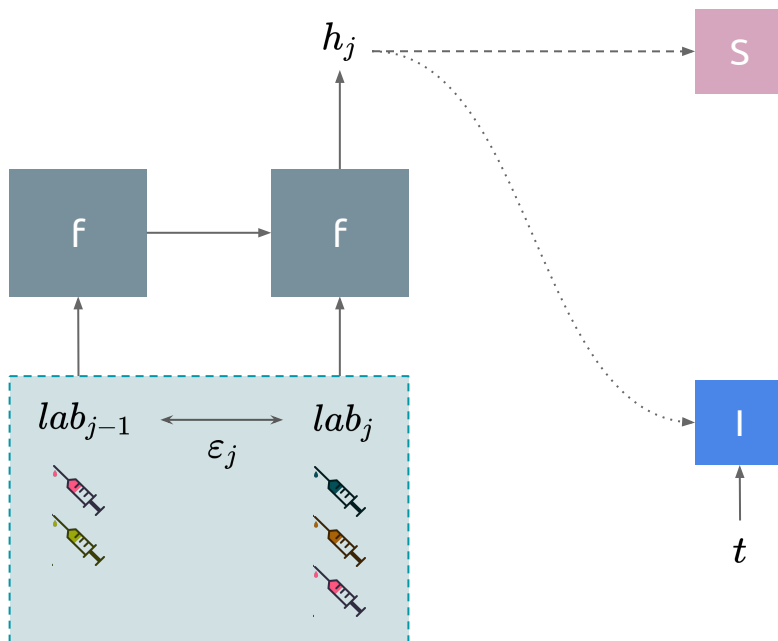
$$\Lambda_I(\varepsilon_j | h_{j-1}) = I(\varepsilon_j, h_{j-1})$$

Cumulative Hazard

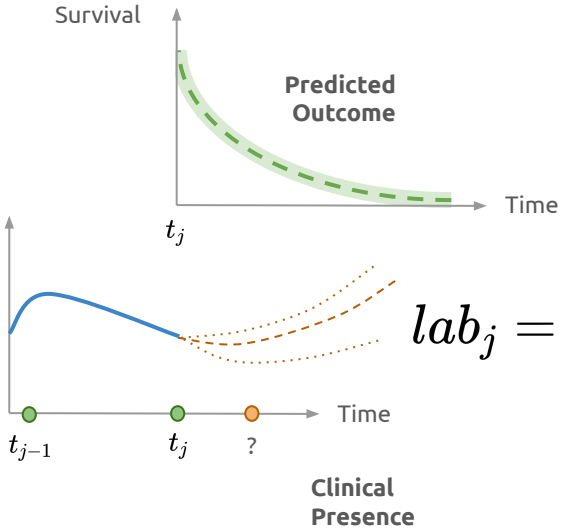
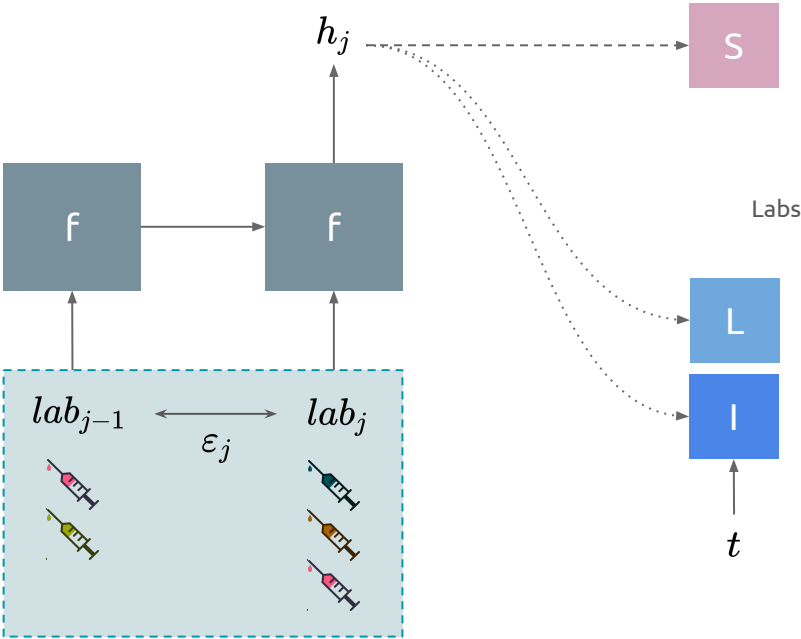


$$l_{TPP} = \sum_j \log \frac{d\Lambda(\varepsilon | h_{j-1})}{d\varepsilon} \Big|_{\varepsilon = \varepsilon_j} - \Lambda(\varepsilon_j | h_{j-1})$$

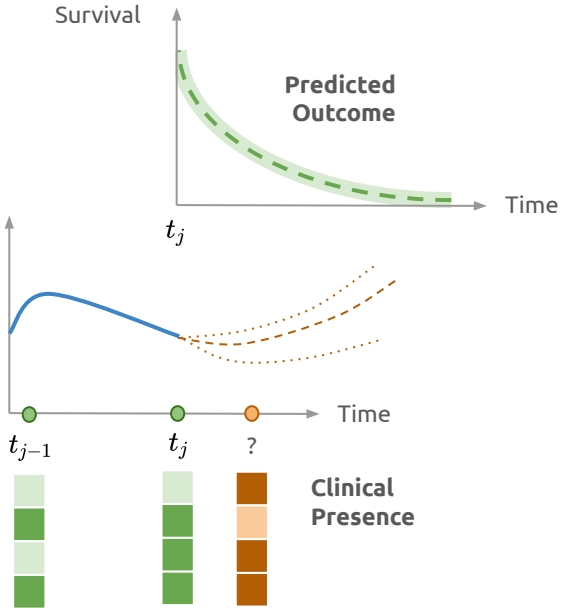
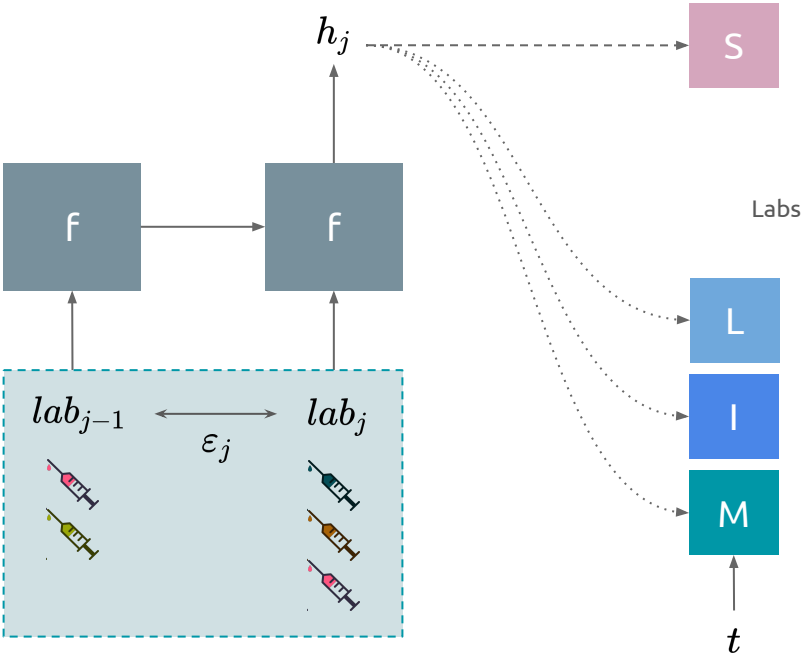
DeepJoint



DeepJoint

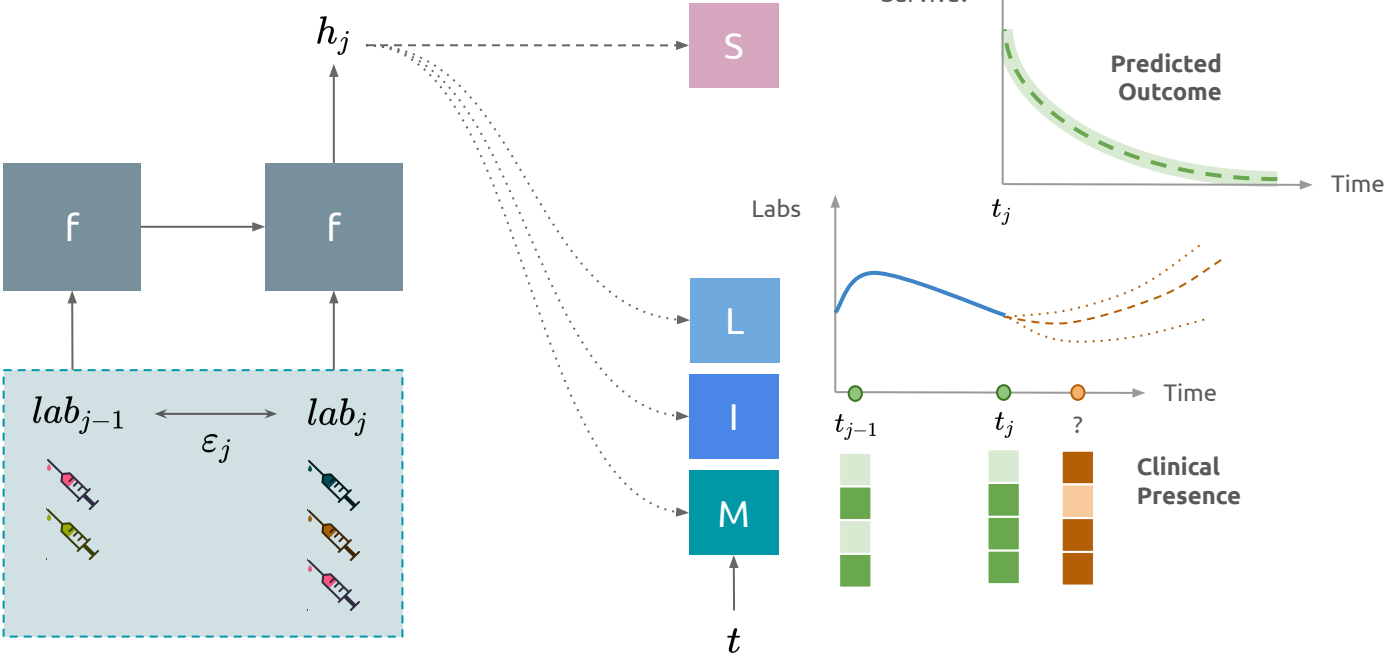


DeepJoint

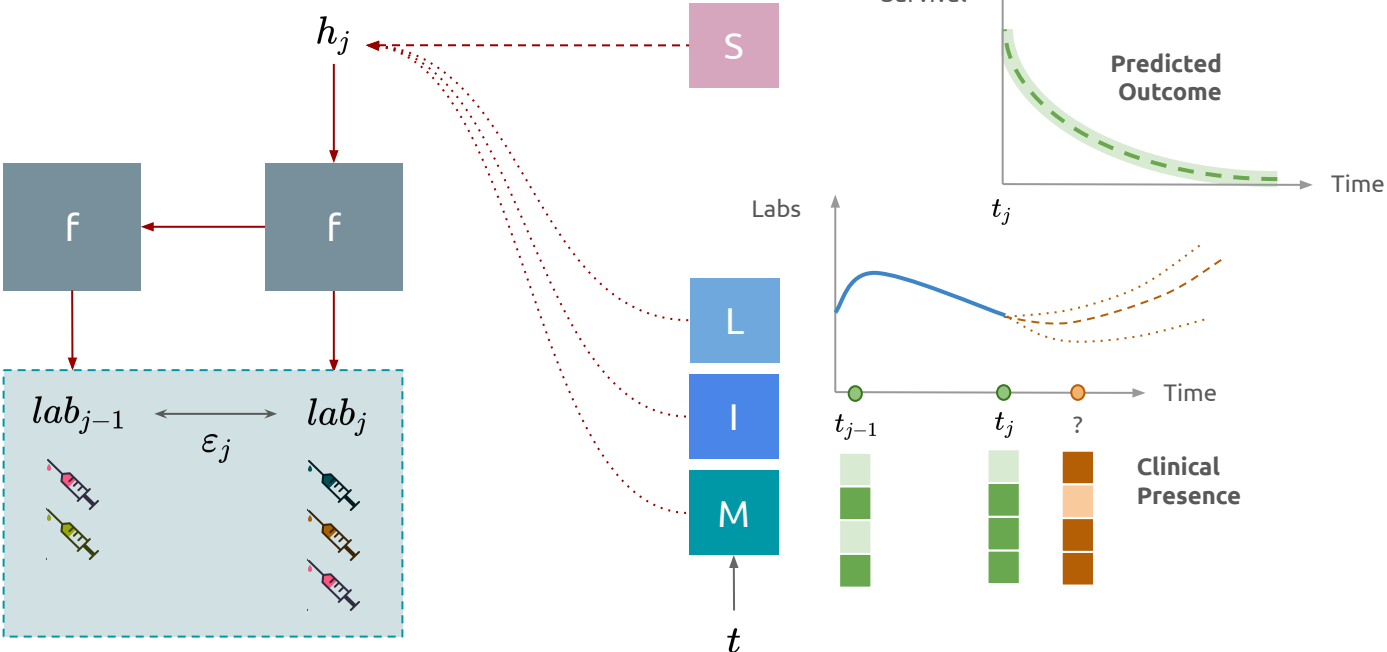


$$\mathbb{P}(lab_j \text{ is observed}) = M(\epsilon_j, h_{j-1})$$

DeepJoint



DeepJoint



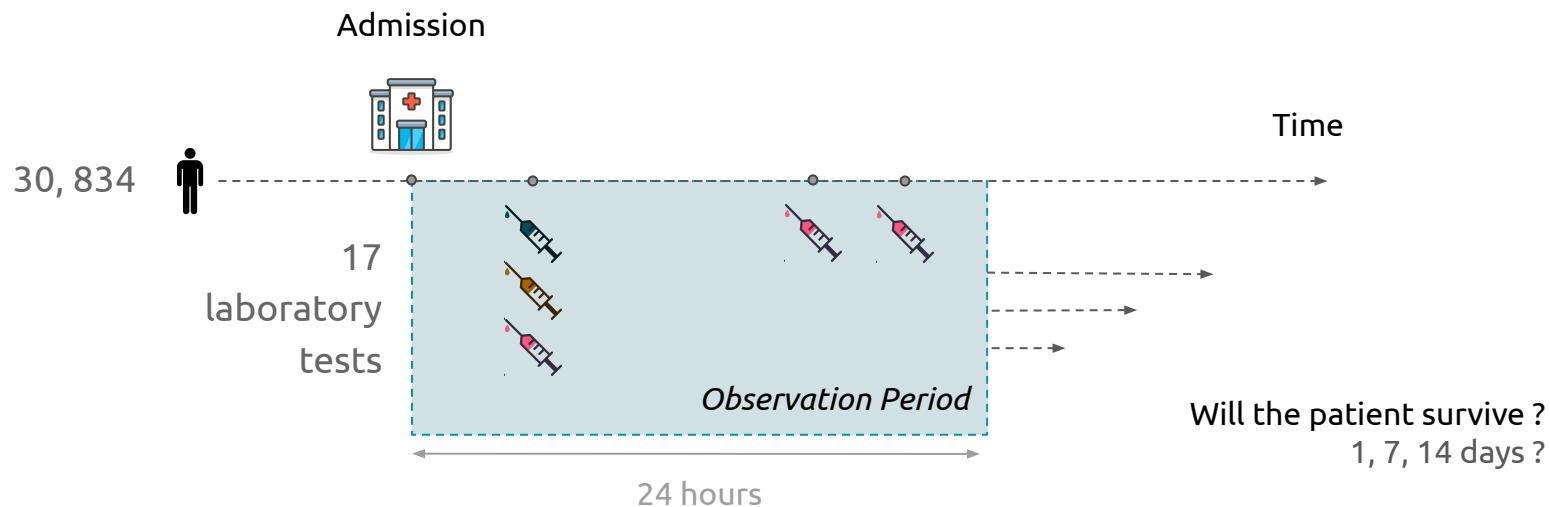
$$L_{tot} = L_{DS} + \alpha(L_{TPP} + L_L + L_M)$$

Application

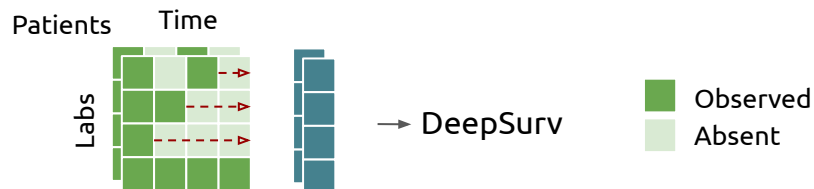
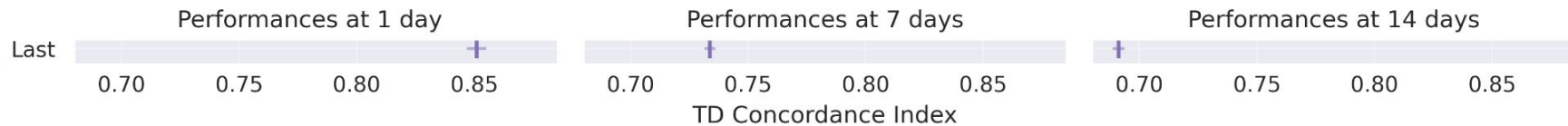
MIMIC III Dataset

1. Predictive performance
2. Robustness performance

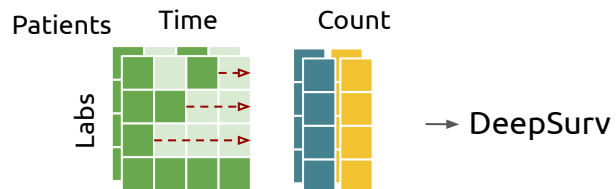
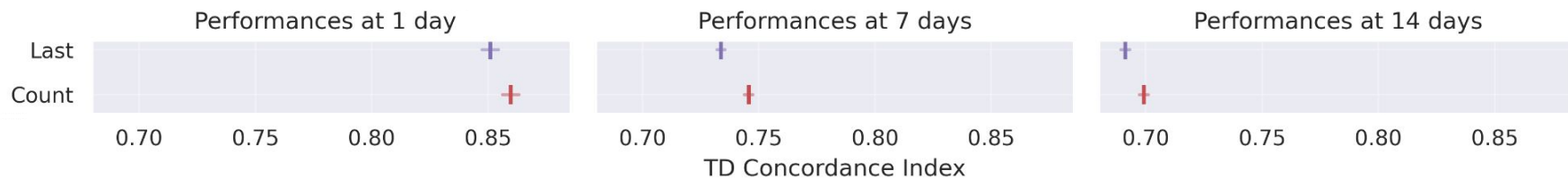
MIMIC Dataset - Preprocessed



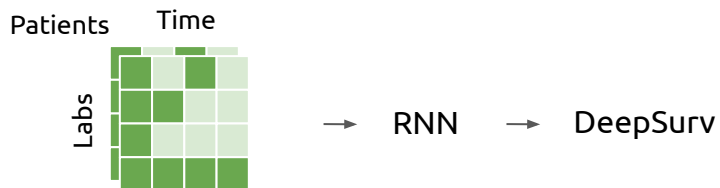
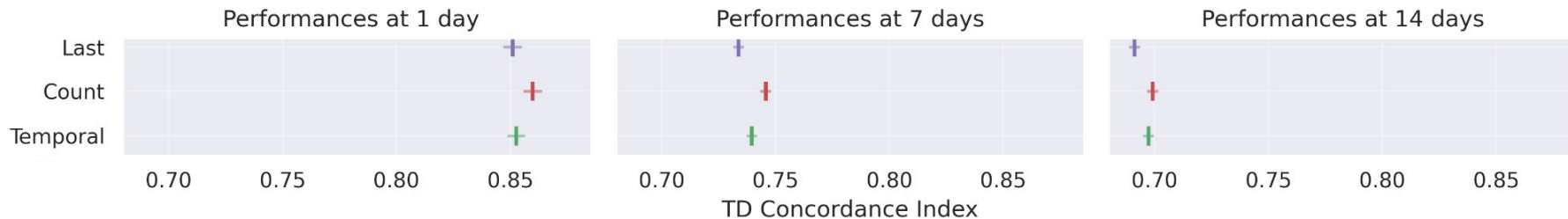
C-Index Performance



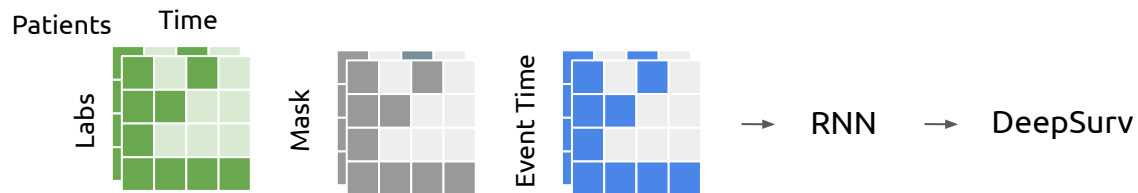
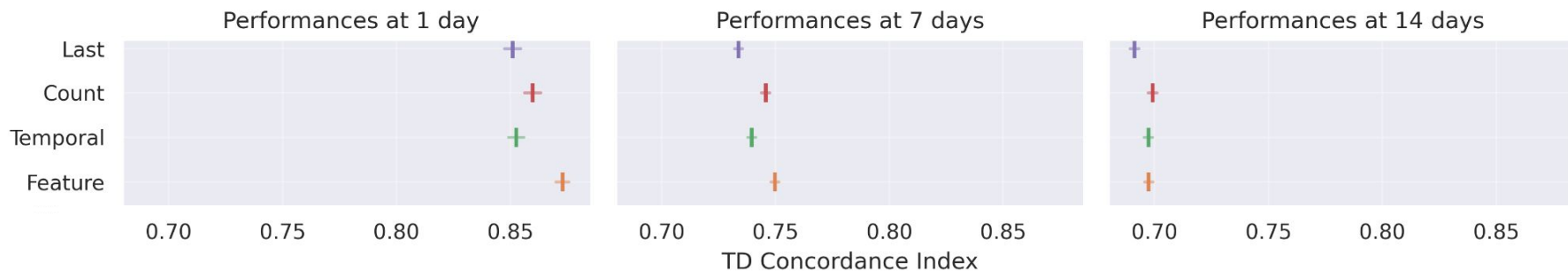
C-Index Performance



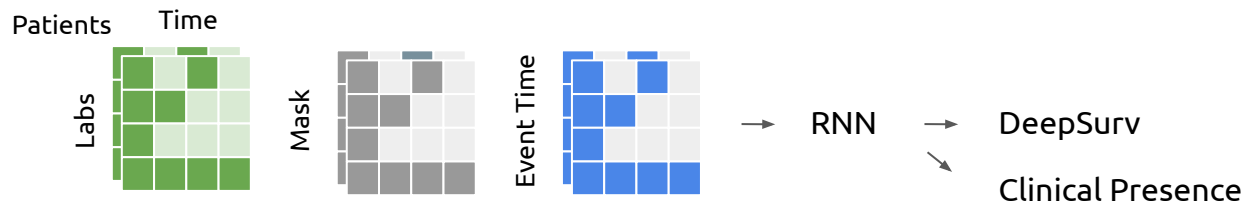
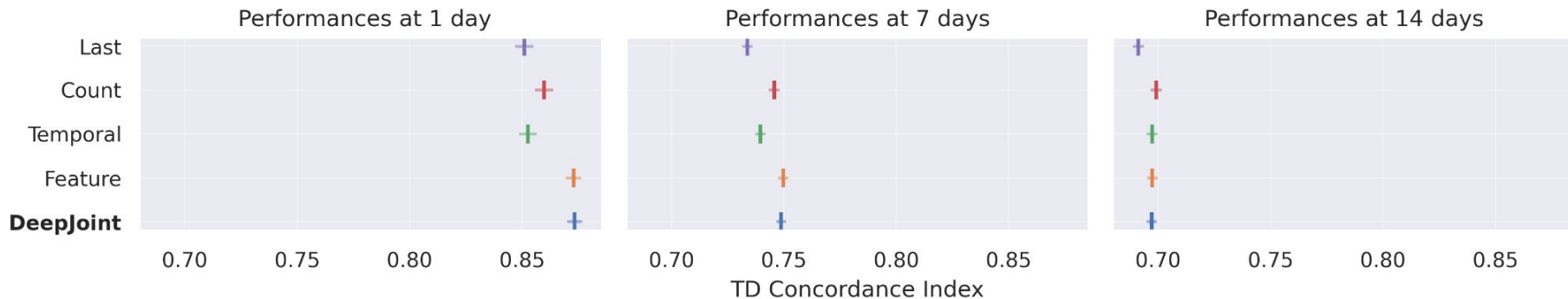
C-Index Performance



C-Index Performance

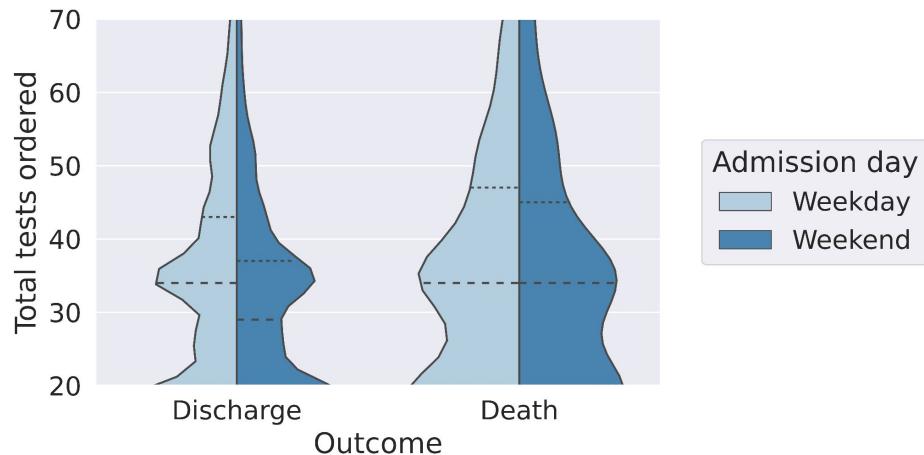


C-Index Performance



Change in Observation Process

Inspired by the **weekend effect**, we split the patients between weekdays and weekend admission to evaluate if a **shift in the observation process** would impact the survival predictive performances.

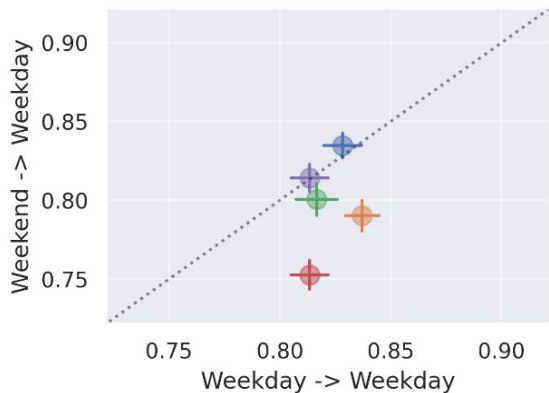


Robustness Evaluation

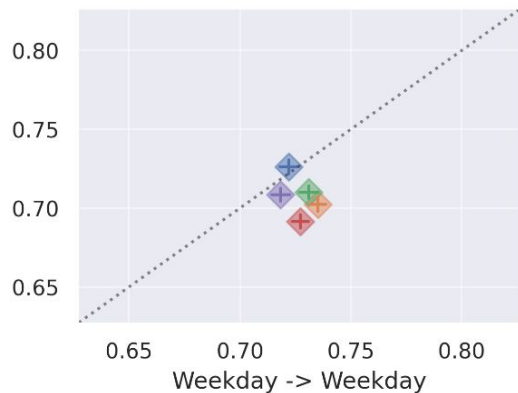


Robustness to Weekend Effect

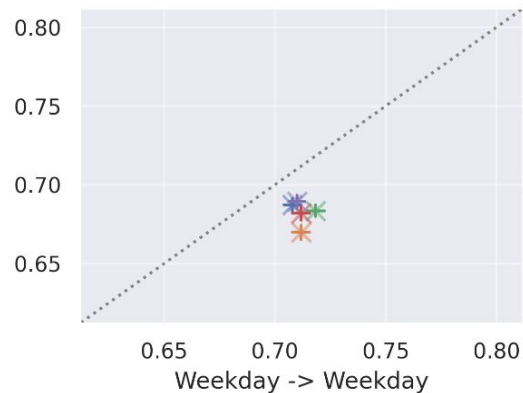
Performances at 1 day



Performances at 7 days



Performances at 14 days



Conclusions

- **Clinical presence** leads to **informative** observation process
- **Leveraging** this information **improves** **predictive** performance
- **DeepJoint** results in an embedding **more robust** to change in observation process



Preprint

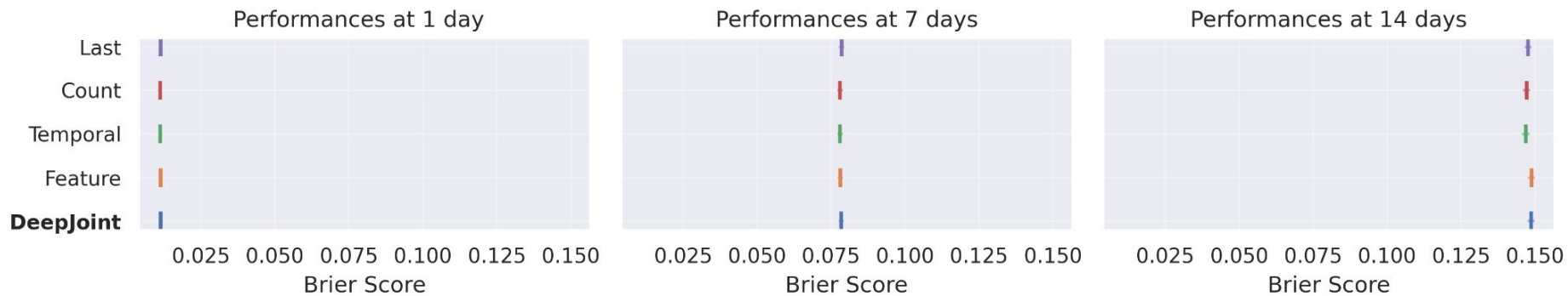


Code

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Brier Performance



Weekend Performance

